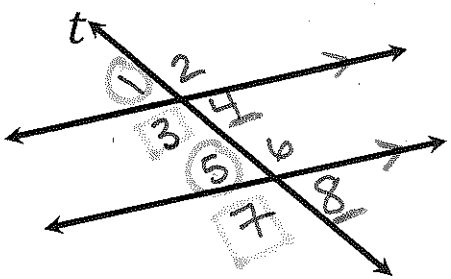
corresponding angles



Same side of t

Both above

or below lines

Ex. $m\angle 1 = 30°$

$m\angle 5 = 25 + x$

$30 = 25 + x$

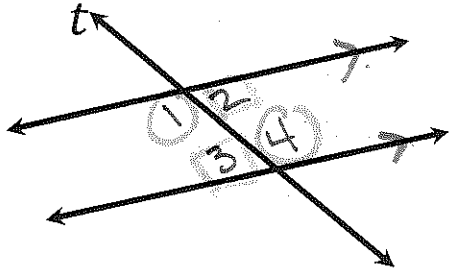
$-25 \quad -25$

$5 = x$

∥ parallel

Postulate: If ll, then corr. ∠s ≅

alternate interior angles



opposite sides of t, and inside lines

Ex. $m\angle 1 = 2x$

$m\angle 4 = 50°$

$\frac{2x}{2} = \frac{50}{2}$

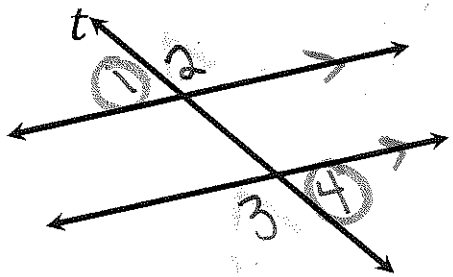
$x = 25$

Theorem: If ll, then alt. int. ∠s ≅

Converse:

Converse:

alternate exterior angles



opposite side of t and outside lines

Ex. $m\angle 2 = 60°$

$m\angle 3 = 2x + 4$

$60 = 2x + 4$

$-4 \quad -4$

$\frac{56}{2} = \frac{2x}{2}$

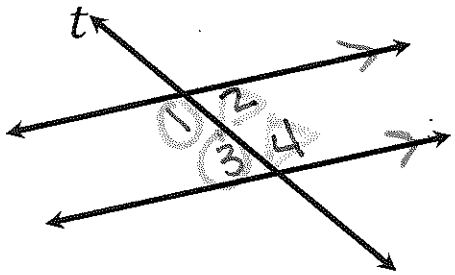
$x = 28$

Theorem:

If ll, then alt. ext. $\angle$s $\cong$

Converse:

consecutive interior angles



Same side of inside lines

Ex. $m\angle 1 = 50°$

$m\angle 3 = ?$

$180 - 50 = 130°$

Theorem:

If ll, then cons. int. $\angle$s are supplementary ($180°$)

Converse: